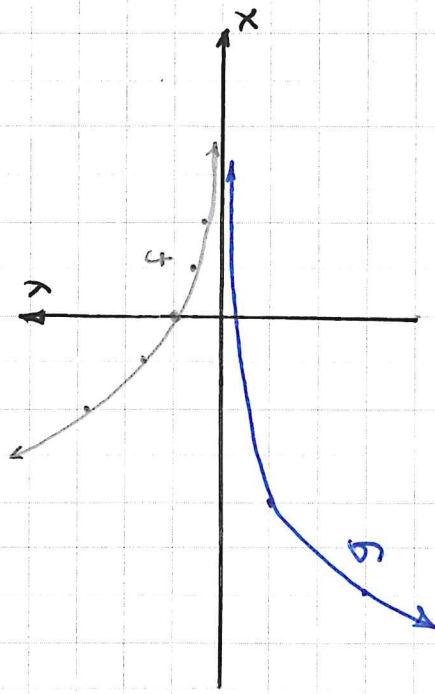


Math 27, HW #14 Selected Problems

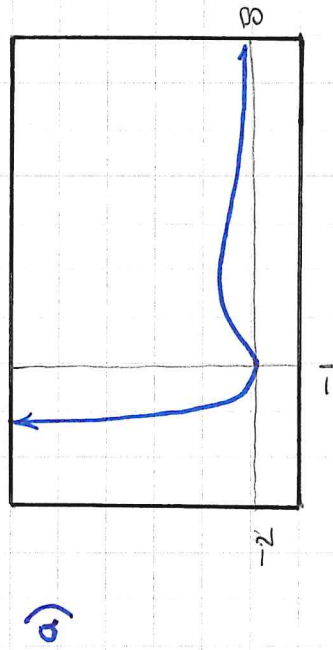
Pg. 189, #25 $f(x) = \left(\frac{3}{5}\right)^x$, $g(x) = -\left(\frac{3}{5}\right)^{x+4}$

To transform f into g :

- ① HS \leftarrow
- ② R_x



Pg. 190, #61 $f(x) = x^2 e^{-x}$



c) $R_{Min} = 0$ when $x = 0$

$R_{Max} = 0.541$ when $x = 2$

b) Decreasing on: $(-\infty, 0) \cup (2, \infty)$

Increasing on: $(0, 2)$

Pg. 191, #67 $r = 4\%$, $t = 20$ years
 $= .04$

Finding the Balance for Compound Interest In Exercises 65–68, complete the table to determine the balance A for \$2500 invested at rate r for t years and compounded n times per year.

$$\text{So, } A = 2500 \left(1 + \frac{.04}{n}\right)^{n \cdot 20}$$

The compound interest formula.

$$\text{is: } A = P \left(1 + \frac{r}{n}\right)^{nt}$$

Continuous:

$$A = Pe^{rt}$$

n	1	2	4	12	365	Cont.
A	\$ 5477.81	\$192,188.60 \$ 5520.10	\$ 5541.79			\$ 5563.85

- 79. Radioactive Decay** Let Q represent a mass, in grams, of carbon 14 (^{14}C), whose half-life is 5700 years. The quantity present after t years is given by $Q = 10\left(\frac{1}{2}\right)^{t/5700}$.
- Determine the initial quantity (when $t = 0$).
 - Determine the quantity present after 2000 years.
 - Sketch the graph of the function over the interval $t = 0$ to $t = 10,000$.

$$\text{a) } Q(0) = 10 \left(\frac{1}{2}\right)^0 = 10 \text{ g}$$

$$\text{b) } Q(2000) = 10 \left(\frac{1}{2}\right)^{2000/5700} = 7.841 \text{ g}$$

